



## **Core Pressure (Rev. 1.1)**

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### **0. Introduction**

The purpose of this paper is to identify the internal pressure and structure of any planetary body.

*(Refer to **Appendix 1** for an explanation of the papers, mathematical formulas, constants, symbols and units used in this document)*

### **1. Conclusions**

Core pressure may be calculated using a combination of Newton's laws of motion and spin theory.

The internal pressures and structure of a planet (or in fact any planetary body) may be calculated using core pressure and spin theory.

#### **1.1 Further Work**

Verify with physical measurements

### **2. The Body System**

Any mass of any size and shape.

### **3. Methodology**

Use Isaac Newton's laws of motion and planetary spin theory to determine the internal pressure and structure of a planetary body such as the earth.

#### 4. Calculations

Isaac Newton's well-known formula can be modified to determine gravitational acceleration at the surface of a sphere thus:

$$F = G \cdot m_1 \cdot m_2 / R^2$$

where 'R' is the radius of the sphere, 'm<sub>1</sub>' is the mass of the substance inside the pressure plane (Fig 1) and 'm<sub>2</sub>' is the mass of substance above the pressure plane.

The above formula may be modified to determine the pressure at the pressure plane by F/A

where A is the area of the pressure plane

An active planetary body will comprise a number of layers each of varying density that can be accommodated using the polar moment of inertia for a thin shell of varying density:

$$J = 8.532041001 \times m_n \times (\rho_2 \cdot r_1^5) / (\rho_1 \cdot r_2^3)$$

where 'm<sub>n</sub>' is the mass of the shell, ρ<sub>2</sub> is its density at its outer radius (r<sub>2</sub>) and ρ<sub>1</sub> is its density at its inner radius (r<sub>1</sub>)

We already know the polar moment of inertia (J) for any planetary body, which can be determined using spin theory.

All we need to do is calculate the 'best-fit' arrangement of the various layers from the information we know. For example the inner-core of the earth is said to be 13,000 kg/m<sup>3</sup> and the density of the outer surface is seawater (slightly higher than this actually) but following calculator shows a compatible construction for the earth based upon such data (Fig 1).

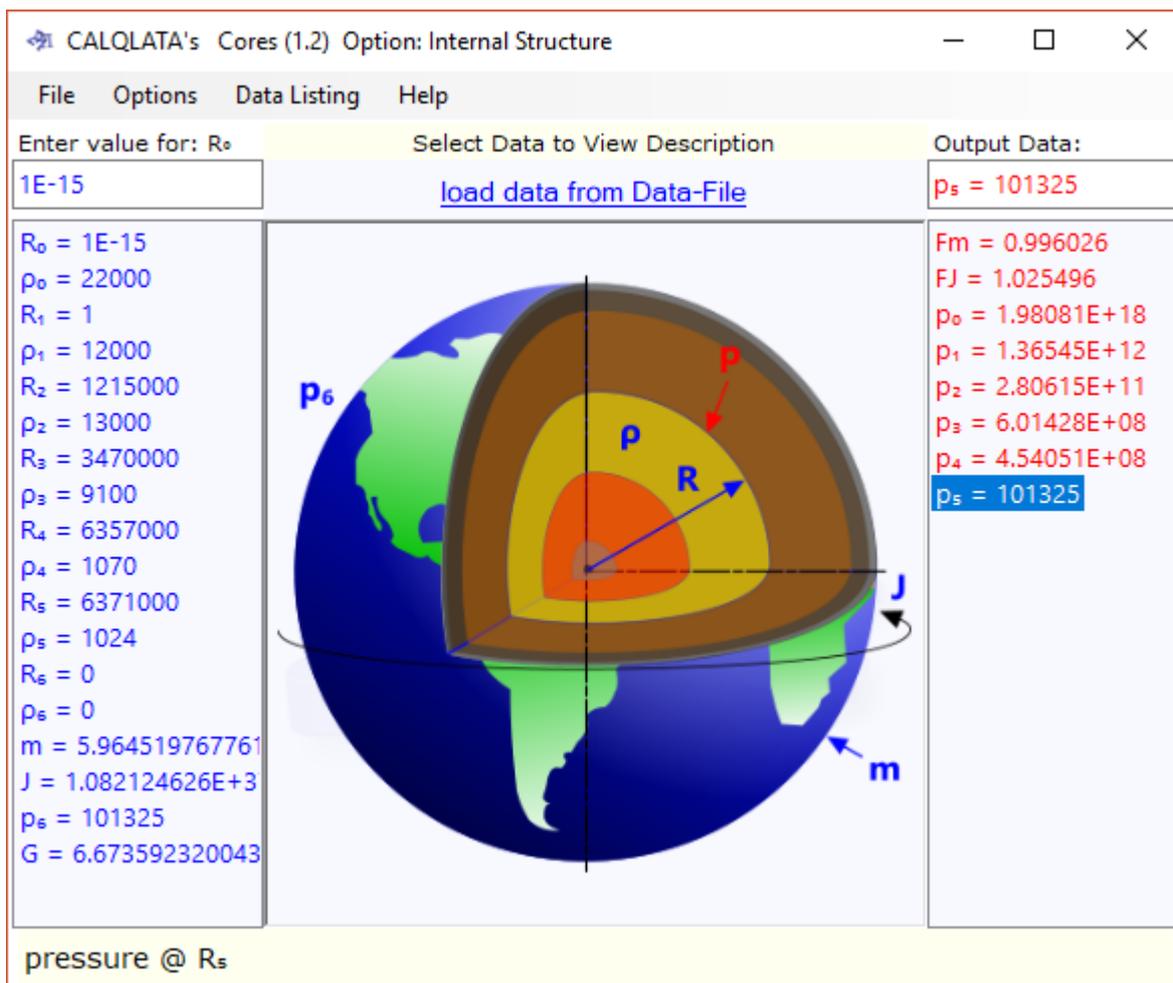


Fig 1 (CalQlata's Core Pressure Calculator)

The above calculation achieves virtually 1.0 for both factors;  $F_m$  and  $F_J$  (for mass and polar moment of inertia) and reveals the reason why the substructure of mountain ranges falls away from its continental mass; the density of the continental crust upper mantle is higher than the upper mantle, and as such once melted will fall into the mantle.

An earth of constant density ( $5506.35 \text{ kg/m}^3$ ) would have a polar moment of inertia of  $9.68391\text{E}+37 \text{ kg.s}^2$  as shown in Fig 2 in which  $F_m$  &  $F_J$  are both equal to 1.0

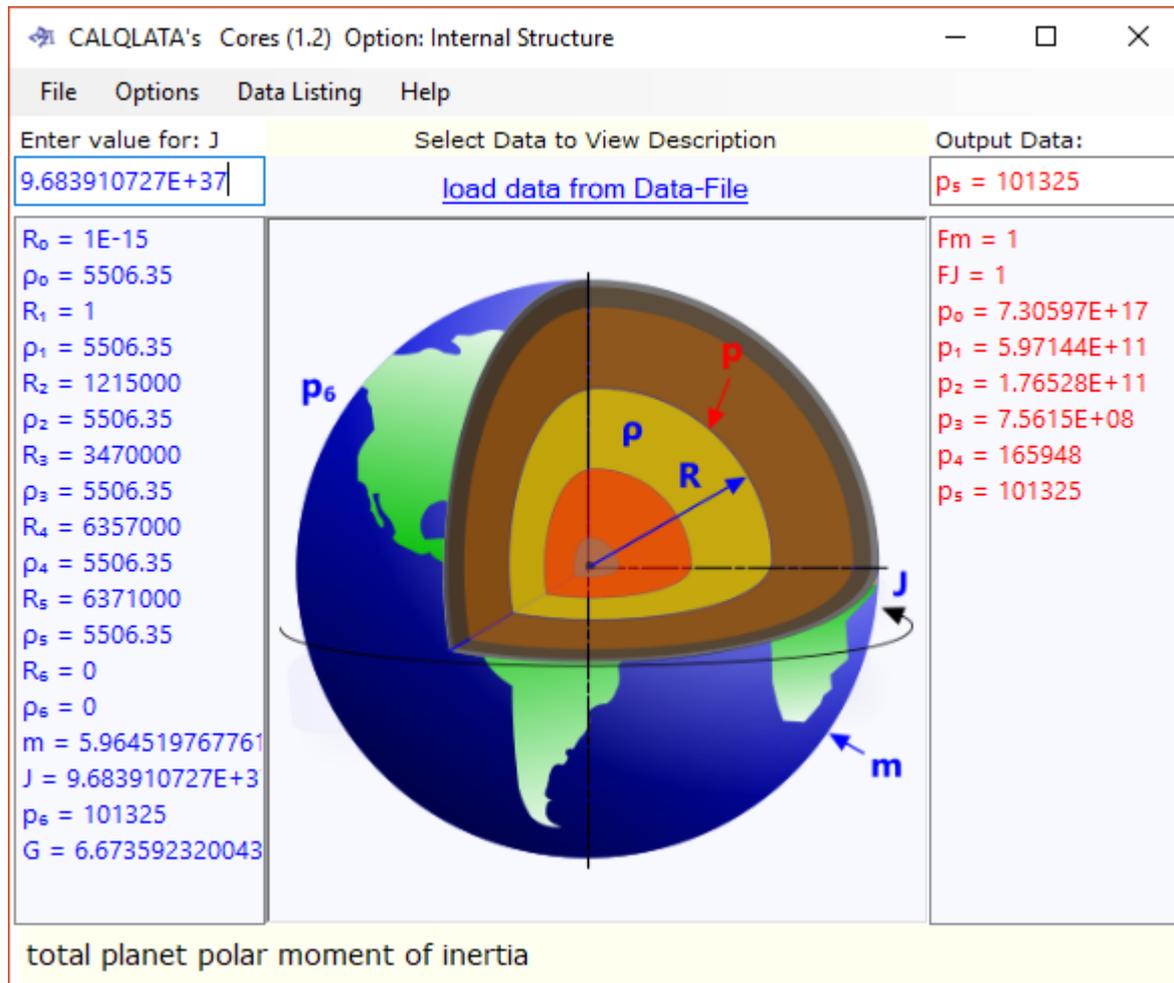


Fig 2 (CalQlata's Core Pressure Calculator)

## 5.0 Calculation Results

The earth comprises a number of layers similar to those shown in Fig 1 that match its behaviour according planetary spin theory; where  $J = 1.082125\text{E}+37 \text{ kg.s}^2$

Given that Newton's laws of motion are known to be correct, and that planetary spin theory accord exactly with Newton's laws of motion as does the above Core Pressure, it is concluded that Fig 1 may be regarded as representative of the earth's construction

### 5.1 Claims

**Claim 1:** The pressure at the centre of the earth and probably any other planet (not star) is less than that required to generate Fissionable energy

**Claim 2:** The density of the earth's upper mantle is significantly less than the continental crust, but far hotter (upper mantle plumes) and sufficient to melt the substructure of mountains

**Claim 3:** The pressure at the centre of the earth's inner core is  $1.35\text{E}+07 \approx \text{bar}$

## Appendix 1: Papers, Mathematical Symbols & Units

Isaac Newton's gravitational constant:  $G = 6.67359232004332E-11 \text{ m}^3/\text{kg}/\text{s}^2$

This paper should be read in conjunction with the following:

[http://calqlata.com/Maths/Formulas\\_Orbits.html](http://calqlata.com/Maths/Formulas_Orbits.html)

[http://calqlata.com/Maths/Formulas\\_Planetary\\_Spin.html](http://calqlata.com/Maths/Formulas_Planetary_Spin.html).

[http://calqlata.com/Maths/Formulas\\_Laws\\_of\\_Motion.html](http://calqlata.com/Maths/Formulas_Laws_of_Motion.html)

[http://calqlata.com/Maths/Formulas\\_Orbits.html](http://calqlata.com/Maths/Formulas_Orbits.html)

[http://calqlata.com/Maths/Formulas\\_Planetary\\_Spin.html](http://calqlata.com/Maths/Formulas_Planetary_Spin.html)

[http://calqlata.com/Maths/Formulas\\_Dark\\_Matter.html](http://calqlata.com/Maths/Formulas_Dark_Matter.html)

Refer to CalQlata's **Definitions** ([http://calqlata.com/help\\_definitions.html](http://calqlata.com/help_definitions.html)) for an explanation of the terms used in this paper